

7. Computational Thinking and Problem-solving

19.1 Algorithms

Binary Search

- Necessary condition – the elements in the list being searched must be ordered/sorted in ascending/descending order
- The time to search a list increases with an increasing number of items in the list
- Starts in the middle of the array/list
- Works by finding the mid-point of an array/list and determines which side contains the item to be found – it discards the half of the array/list not containing the search item

Process

- Find middle index/item
- Check the value of the middle index in the list
- The item searched for has been found if the index value is equal to it
- Otherwise, discard half the list that does not contain the searched item
- Repeat the previous steps until the item searched for is found, or there is only one index left in the list and it is not the item searched for

Linear Search

- sequentially checks each element of the array/list until the matching element is found, or the end of the array/list is reached.
- does not require the elements to be sorted.
- will usually do more comparisons of records/iterations against the target (before finding it) than a binary search
- starts at the beginning of the array/list.

Binary VS. Linear Searches

- time to search increases linearly in relation to the number of items in the list for a linear search and logarithmically for a Binary search
- time to search increases less rapidly for a binary search and time to search increases more rapidly for a linear search

Big O Notation

- is used to indicate the time/space complexity of an algorithm.
- *Linear search* $\rightarrow O(n)$
- *Binary search* $\rightarrow O(\log 2n) / O(\log n)$
- $O(\log n)$ is a time complexity that uses logarithmic time – the time taken goes up linearly as the number of items rises exponentially

Performance of a sorting algorithm is affected by...

- Initial order of data
- Number of data items to be sorted
- The efficiency of the sorting algorithm

Queue

- Uses FIFO data structure – data is removed in the order it is received
- Is of varying length
- Data is 'enqueued' and 'dequeued' at different ends
- Has two movable pointers

Stack

- Uses FILO data structure – data is removed in the reverse order to which is it received
- Is of varying length
- Data is popped and pushed onto/off a stack from the same end
- Has one movable pointer

Uses of a Stack

- Recursion
- Implementation of ADTs
- Procedure calls
- Interrupt handling
- Evaluating an RPN expression

Linked List Implementation

- Is a dynamic data structure (not restricted in size)
- Has freedom to expand or contract – by adding/removing nodes as necessary
- Allows more efficient editing using pointers than an array

Array Implementation

- Is a static data structure, generally fixed in size
- When array is full, stack cannot be extended any further

19.2 Recursion

Recursion

- A process using a function/procedure that calls itself
- Must have a base case (stopping condition)
- Must have a general case – which calls itself recursively, changes its state and moves towards the base case

Why Stacks are Effective for Implementation

- Stacks have a LIFO data structure
- Each recursive call is pushed to the stack and is then popped as function ends
- Enables backtracking/unwinding to maintain the required order

Winding and Unwinding

- *Winding – the statements following a recursive function call are not executed until the general case has reached base case*
- *Unwinding – occurs once the base case has been reached*

Benefits of Recursion

- *Can require fewer programming statements than an iterative approach (shorter and more effective code)*
- *Can solve complex problems in a simpler way than an iterative solution could / provides simpler solutions to problems*

Drawbacks

- *Very repetitive and requires more storage space (demanding use of stack), meaning stack overflow can occur*
- *Infinite recursion can occur*

Translating Recursive Programming Code

- The compiler must produce object code to
 - Push return addresses/values of local variables onto a stack with each recursive call
 - Pop return addressed/values of local variables off the stack after the base case is reached